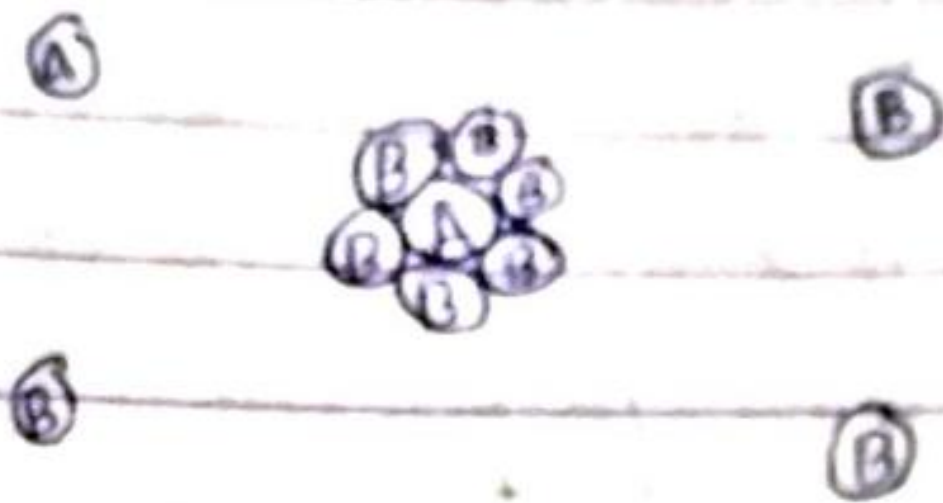


Factors for determination of crystal str.

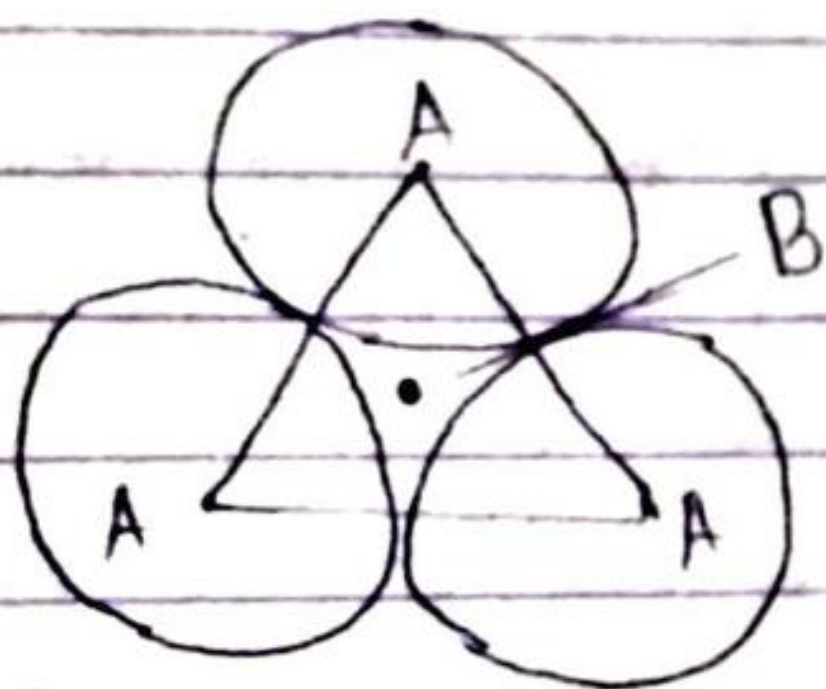
① Co-ordination number \rightarrow

It is no. of closest unit to a particular unit. e.g. for the arrangement



There is six B closest to A and hence co-ordination no. of A = 6.

In triangular structure

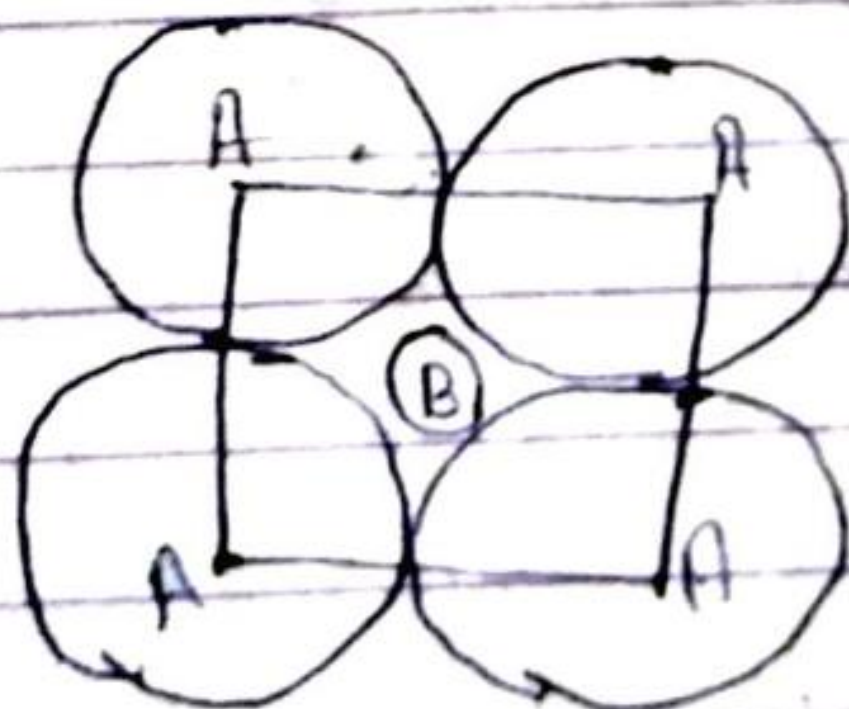


3 'A' occupy the corner of triangle and one B occupies the interstice formed by them.

Hence C.N of B = 3

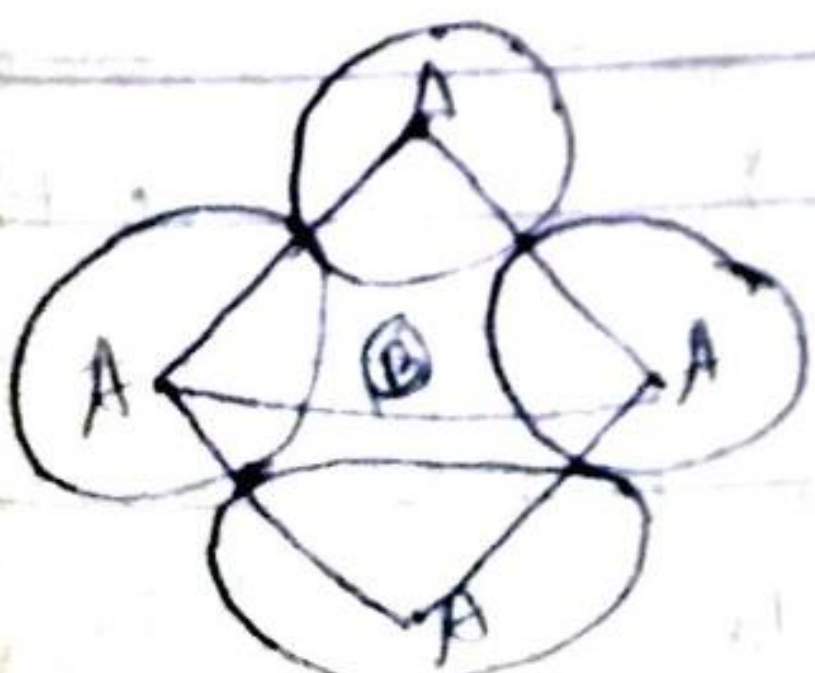
and structure is hence trigonal.

For Square planar \rightarrow



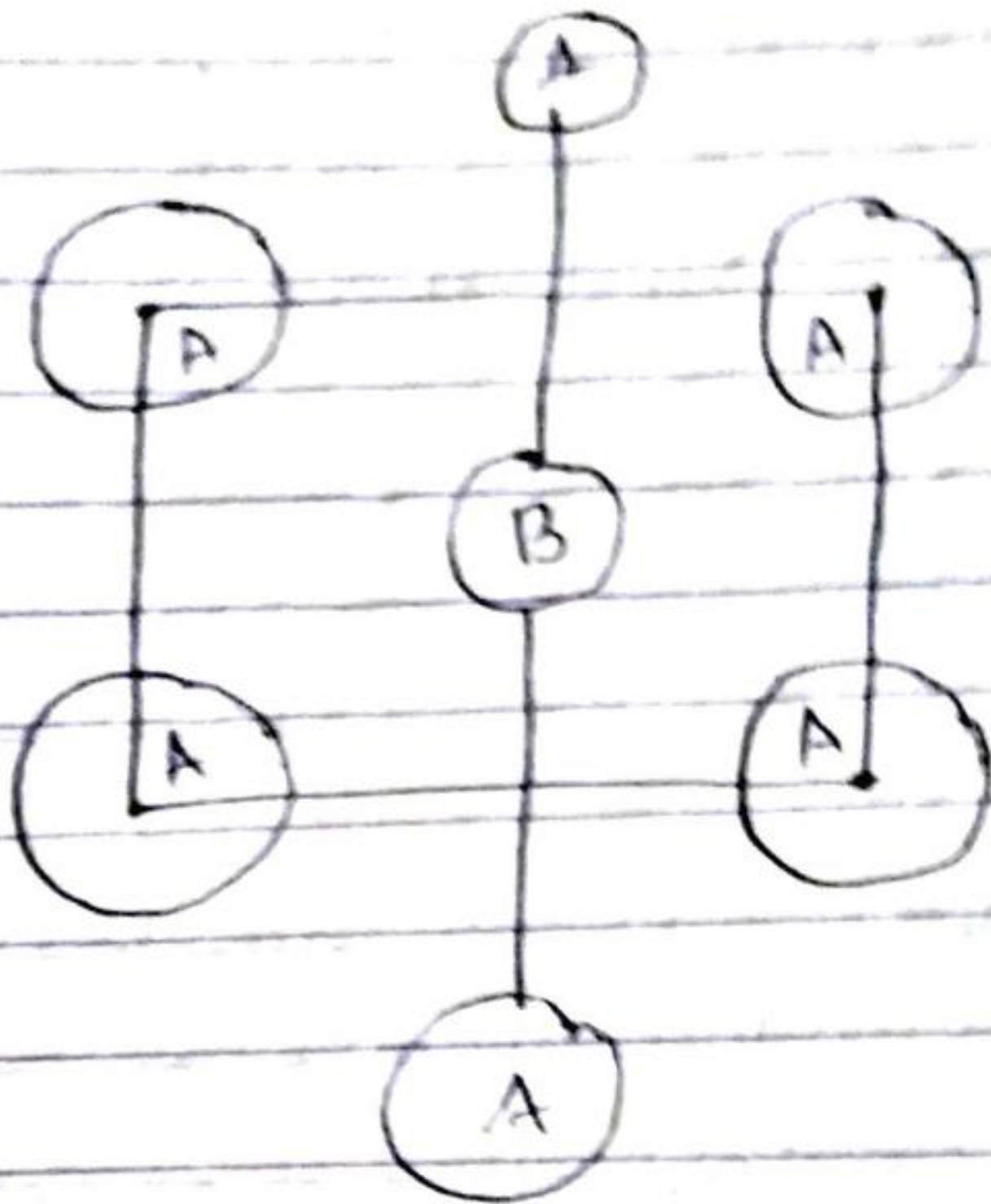
C.N of B = 4

For Tetrahedral structure \rightarrow



A occupies the corners of a tetrahedron and B is placed in tetrahedral hole. Thus C.N of B = 4.

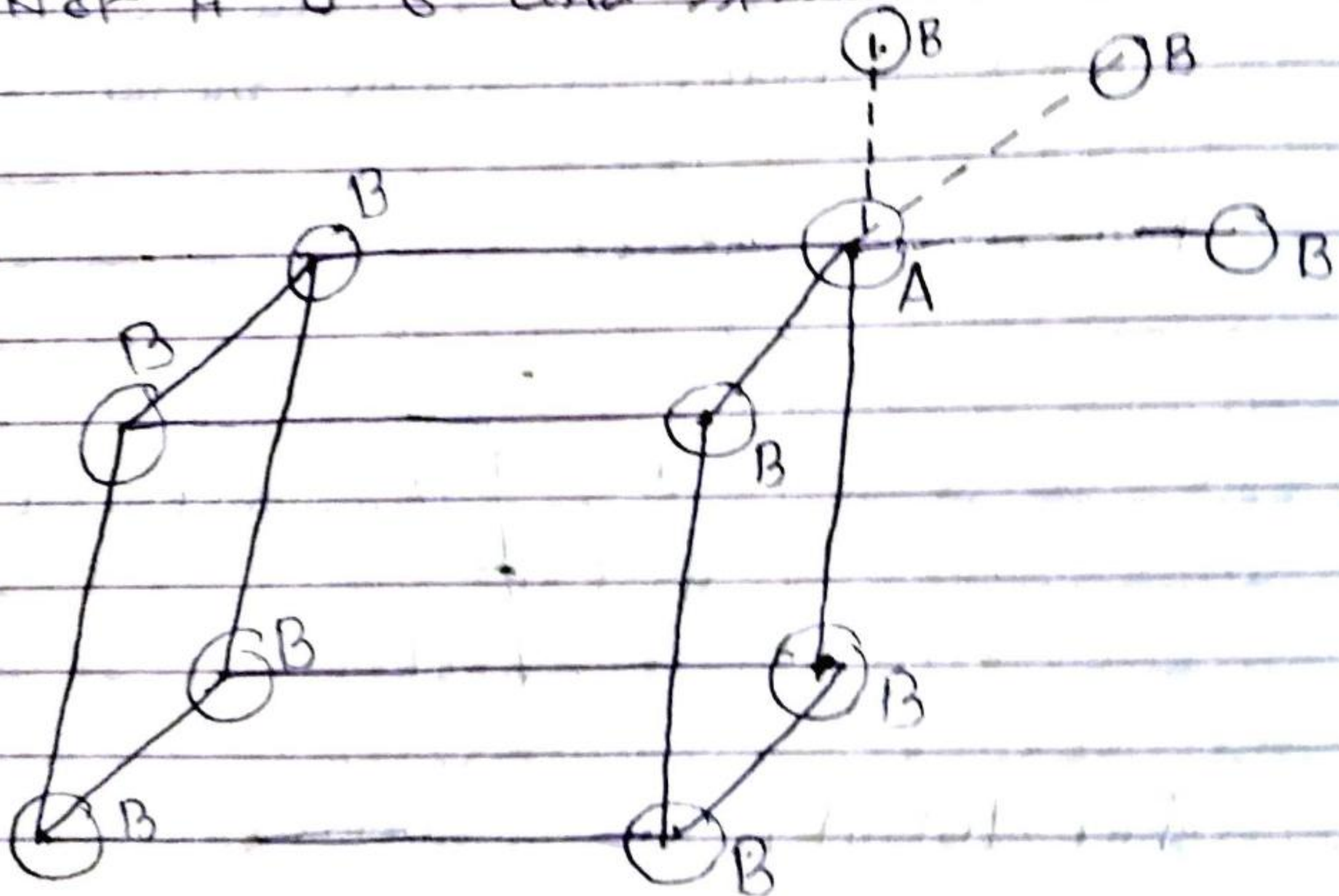
For Octahedral structure:



B occupies the octahedral site and its C.N = 6

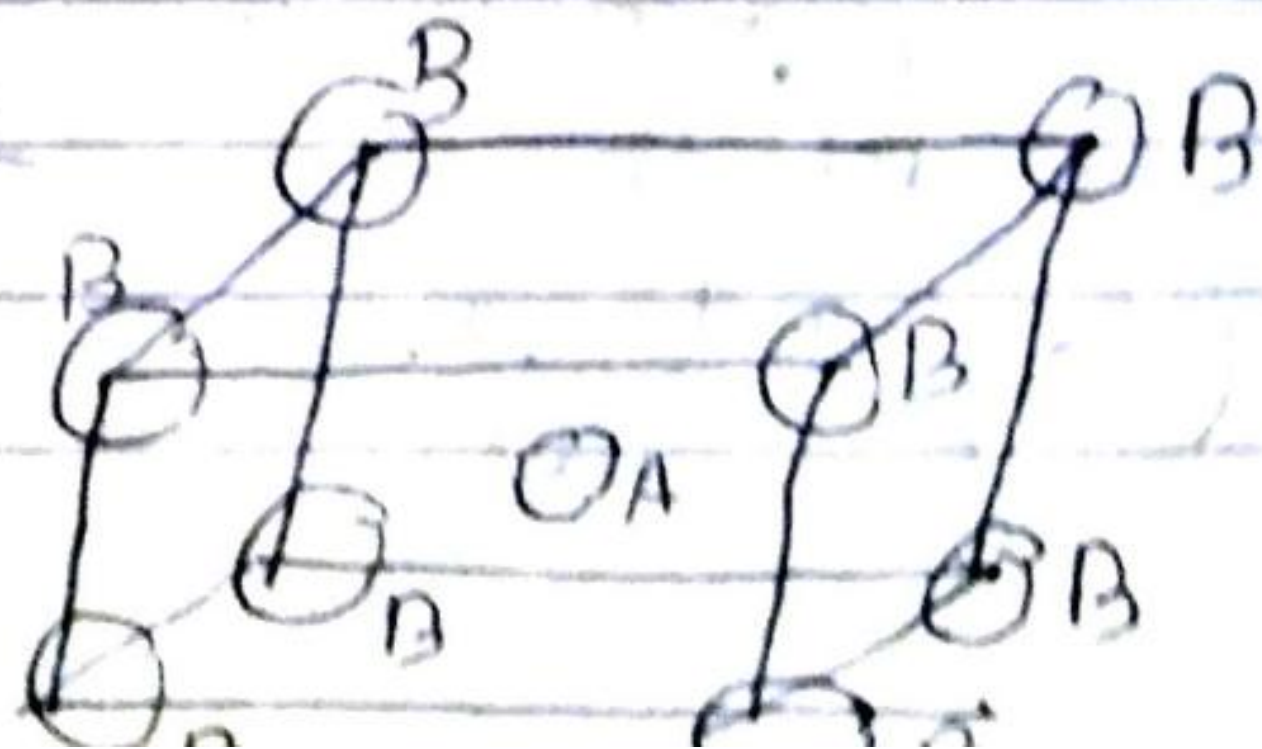
For a simple cubic:

There are six B units around A along the sides. Other at face diagonals and body diagonals are farther than B. Hence C.N of A is 6 and str. is octahedral.



For B.C.C. Structure

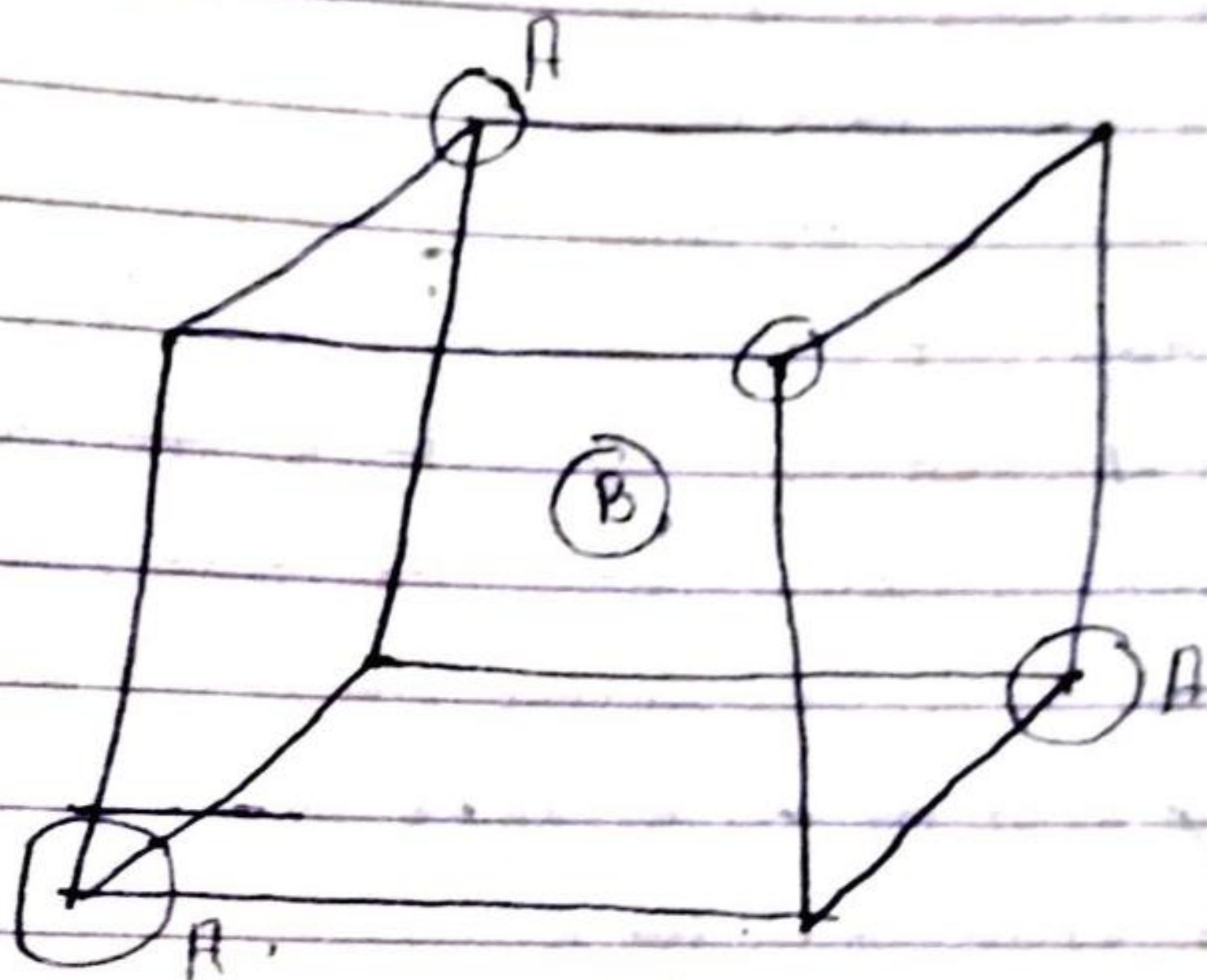
C.N of A = 8



For f.c.c. the units of face centre are the nearest to A. There are 3 such in an unit cell. Since 8 cubes meet at a point, A is common to 8 cubes. Thus A has $8 \times 3 = 24$ close units.

But each unit lying on a face centre is common to 2 cubes and thus is counted twice. Hence C.N of A = $\frac{8 \times 3}{2} = 12$.

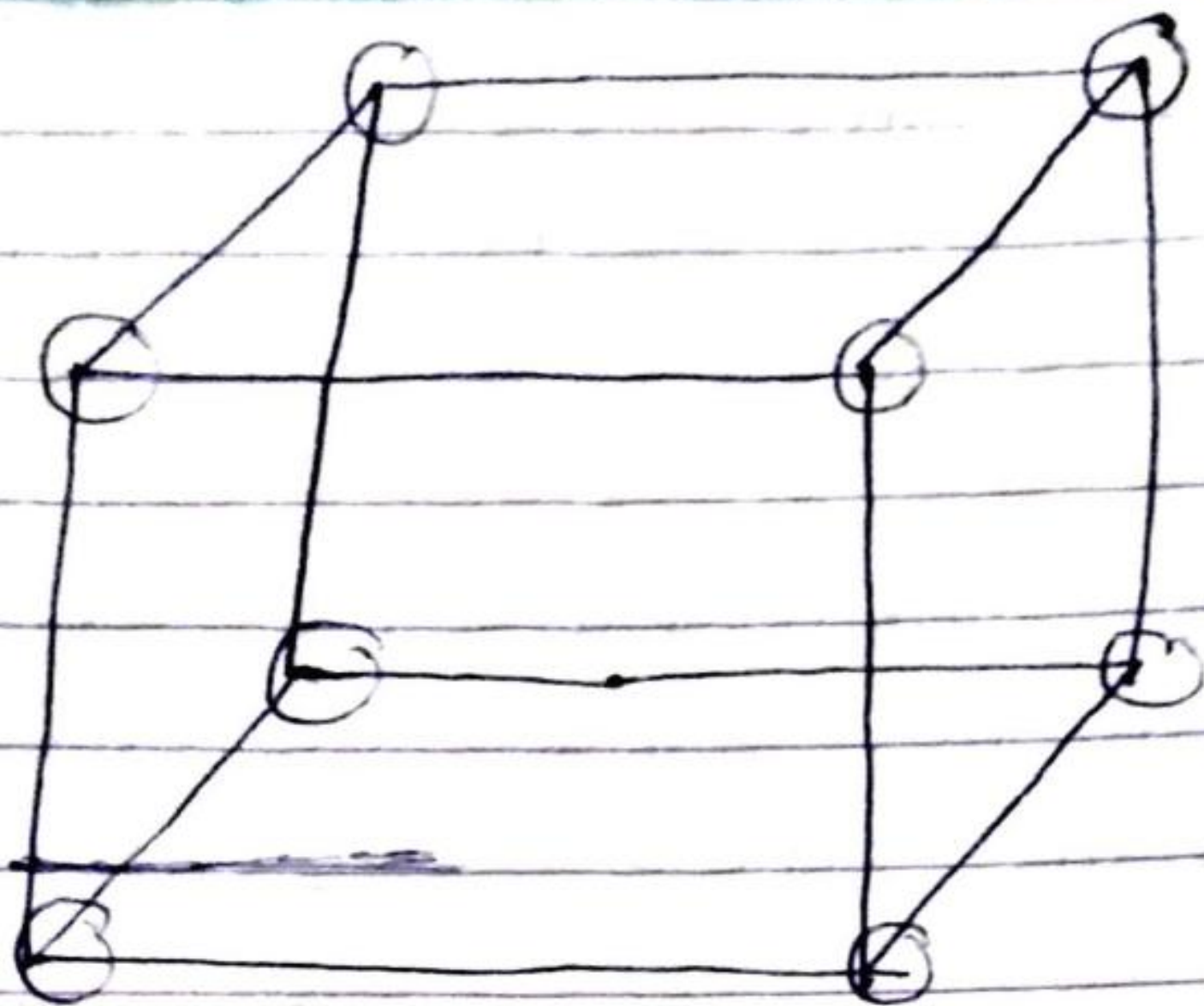
For t.d.o. structure.



A t.d.o. is formed when units occupy alternate corners of a cubic and the body centre and thus the units A lying in tetrahedral hole has C.N = 4.

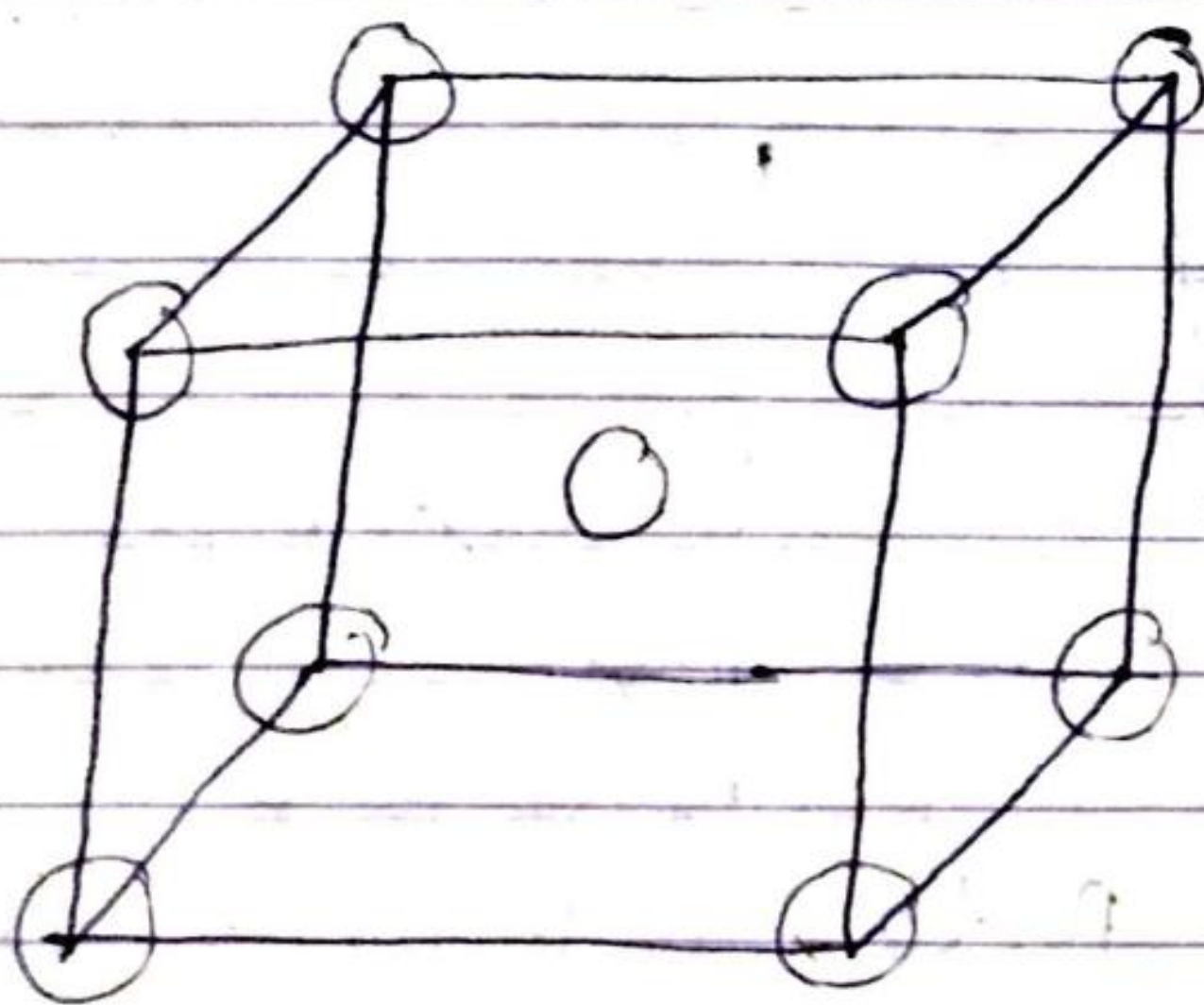
Effective number of units: →

It is the no. of full units (atoms or ions or molecules) present in a unit cell and is denoted by n . In a simple cubic units occupy the lattice points at the corners. Since 8 cubes meet at a point in a lattice, only $\frac{1}{8}$ of an unit is present in an unit cell.



$$n = 8 \times \frac{1}{8} = 1$$

9m B.C.C \rightarrow

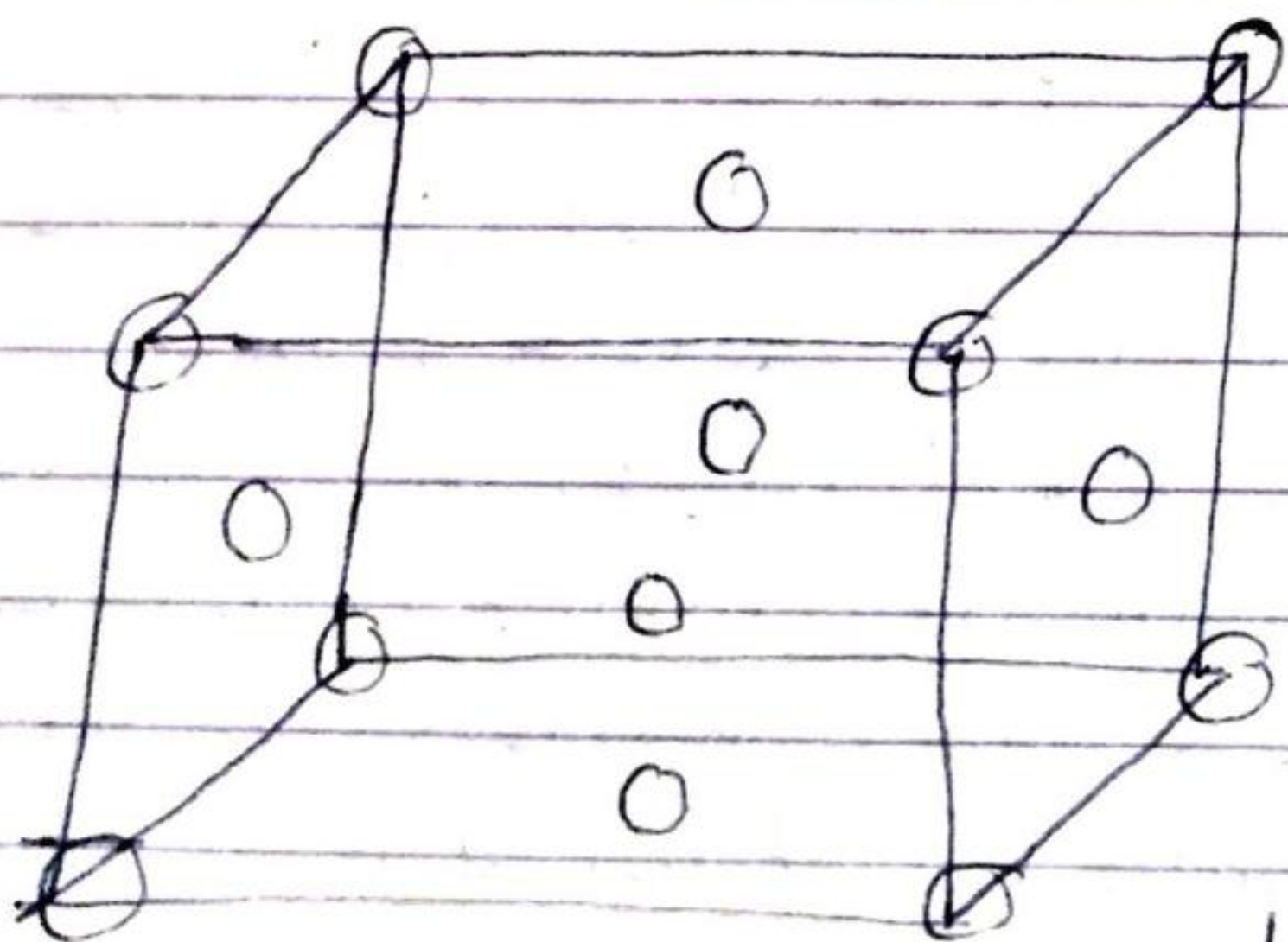


8 units at the corner contribute $\frac{1}{8}$ each and one at the centre is completely inside the unit cell and contribute one and

hence

$$n = 8 \times \frac{1}{8} + 1 = 2.$$

9m F.C.C \rightarrow



Since 8 cubes meet at a point $\frac{1}{8}$ of each unit is present in an unit cell and since two cubes meet at a face $\frac{1}{2}$ of each unit is present

in the unit cell. There are 8 units at the 8 corners and 6 units at the six faces.

So, that

$$n = 8 \times \frac{1}{8} + 6 \times \frac{1}{2} = 1 + 3 = 4.$$